# **Application of Quicksort Algorithm in Information Retrieval**

Jiajun Xie<sup>1</sup>, Zuyan Li<sup>1</sup>, Han Wu<sup>1</sup>, Linhan Li<sup>2</sup>, Bin Pan<sup>1</sup>, Peng Guo<sup>3</sup> and Guang Sun<sup>1,\*</sup>

 <sup>1</sup>Hunan University of Finance and Economics, Changsha, 410205, China
 <sup>2</sup>Changjun Meixihu Middle School, Changsha, 410205, China
 <sup>3</sup>University Malaysia Sabah, Kota Kinabalu, 999004, Malaysia
 \*Corresponding Author: Guang Sun. Email: simon5115@163.com Received: 06 May 2021; Accepted: 19 October 2021

Abstract: With the development and progress of today's network information technology, a variety of large-scale network databases have emerged with the situation, such as Baidu Library and Weipu Database, the number of documents in the inventory has reached nearly one million. So how do you guickly and effectively retrieve the information you want in such a huge database? This requires finding efficient algorithms to reduce the computational complexity of the computer during Information Retrieval, improve retrieval efficiency, and adapt to the rapid expansion of document data. The Quicksort Algorithm gives different weights to each position of the document, and multiplies the weight of each position with the number of matches of that position, and then adds all the multiplied sums to set a feature value for Quicksort, which can achieve the full accuracy of Information Retrieval. Therefore, the purpose of this paper is to use the quick sort algorithm to increase the speed of Information Retrieval, and to use the position weighting algorithm to improve the matching quality of Information Retrieval, so as to achieve the overall effect of improving the efficiency of Information Retrieval.

Keywords: Quicksort; Information Retrieval; information processing

# **1** Introduction

With the rapid development of Internet technology and the increasingly widespread use of the Internet, more and more information needs to be stored in the form of electronic data. How do you find the information you want in such a huge data storage warehouse? In response to this demand, information retrieval technology has emerged. Information Retrieval technology is one of them [1]. Compared with the original immature Information Retrieval technology, this type of technology has now been greatly improved and gradually matured. Literature retrieval is an important way for researchers to obtain resource information, and it has become a very important field in Information Retrieval. Scientific literature retrieval can help researchers learn from and summarize the research results of predecessors. It can not only promote the rapid development and utilization of literature resources, but also avoid repeated research and other phenomena [2].

The previous traditional Information Retrieval techniques generally have a single function. Either only considers word frequency and ignores the document value manifestation brought by the number of references between users and the number of document downloads, or considers the latter and ignores the former, and ultimately cannot Retrieve documents that are closest to user needs, which reduces user experience. On the basis of combining these loopholes, this paper further proposes a comprehensive idea, that is, to increase the function of users to independently select more detailed requirements, and finally meet the requirements of full accuracy of Information Retrieval [3]. Furthermore, this paper is committed



to achieving comprehensiveness and accuracy of Information Retrieval, and at the same time, it uses a Quicksort Algorithm to sort and output the documents. The Quicksort Algorithm can achieve the fastest sorting when there are many and disorderly arranged data. The speed is very suitable for the huge amount of literature nowadays, and it can well meet the requirements of rapid Information Retrieval. This paper simulates the experiment under ubuntu with C++ environment installed, and finally proves that the research content of the paper is correct and can be implemented. The Quicksort Algorithm can improve the Information Retrieval rate very well without being affected by the hardware equipment, and has real application prospects.

## 2 Related Works

One of the core problems of Information Retrieval technology is to retrieve the results through a certain rule algorithm, and then use the Sorting algorithm to sort and output the retrieval results in a certain order [4]. There have been many research precedents for retrieval technology at home and abroad. The generalization can be divided into three generations: the first–generation Information Retrieval system based on word frequency, the second–generation Information Retrieval system based on links, and the third–generation Information Retrieval system based on intelligent sorting [5]. Take the three–generation Information Retrieval system as a clue to introduce the research status at home and abroad [6].

The first-generation Information Retrieval system based on word frequency is sorted according to the frequency and position of the retrieved keywords in the document [7]. Its operating principle is: the higher the number of search terms in a document and the more important the Position, the greater the correlation between the document and the search term, the TFIDF (Term Frequency–Inverse Document Frequency) algorithm can better handle the relationship between the frequency of the search term and the position where it appears, and the relevance score is calculated for ranking, which is considered to be this One of the most important inventions of the stage [8–9].

Next is the second–generation Information Retrieval system based on links. According to historical evidence, we know that although the PageRank algorithm improves the efficiency of Google's web search system, it only determines the importance of the document by considering the number of times the document has been cited, while ignoring the relevance of the content of the document itself and the user's search terms [10–11]. Although the recommended literature given to users is of high value and authority, it is not what users need most [12–13].

The third–generation Information Retrieval system is to solve the problem of the single retrieval result of the second–generation retrieval system. Intelligent sorting is dedicated to providing personalized services and realizing intelligent retrieval of documents [14–16]. What is intelligent retrieval? Even if the retrieval technology is more user–friendly. Intelligent retrieval technology can analyze the relevant keywords of the retrieved keywords on the current Internet, increase the semantic retrieval function and user feedback function, integrate these for personalized analysis, and finally select and arrange the most relevant to the user's search terms. Documents that can meet user needs. Therefore, the third–generation Information Retrieval system solves the problem of single and inaccurate Information Retrieval results.

## **3. Technical Foundation**

#### 3.1 The meaning of Quicksort Algorithm

In 1962, Tony Hoare developed a sorting algorithm that relied on recursion, called a Quick sort Algorithm. The Quicksort Algorithm adopts a divide-and-conquer method. In the average state, the time complexity of the Quicksort Algorithm is O(nlogn), that is, nlogn comparisons are required to quickly sort n data.

The algorithm rules of the Quicksort Algorithm can be stated as: Pick an element from the sequence to be sorted and use it as the "benchmark". Generally, the first number in the sequence is selected as the benchmark.

Advantages of the Quicksort Algorithm: History has proved through countless experiments that the Quicksorting Algorithm has a speed advantage over other algorithms when the larger and more disordered the sequence to be sorted is. Nowadays, the number of documents that can only be described as extremely large is suitable for Quicksorting Algorithms. Under this condition, the advantages of Quicksort are more obvious.

## 3.2 Application of Quicksort Algorithm

In the process of Information Retrieval, we multiply the number of times the search term appears in a certain position of the document and the weight of that position to obtain a sub-Eigen value, and then add the sub-Eigen values of all the positions of the document as the relative The Eigen value of this search term. The eigenvalues of all documents form an unordered number sequence. At this time, we use the Quicksort Algorithm to sort these eigenvalues, and output the documents with the largest eigenvalues first to meet the user's Information Retrieval requirements. In this process of Information Retrieval, the Quicksort Algorithm has played an important role. We know that, in general, the time complexity of the Quicksort Algorithm is O(nlogn), which is significantly better than the O(n2) time complexity of some traditional sorting algorithms such as Selection Sort, Swap Sort, and Insertion Sort. Today, the number of documents on the Internet is increasing and becoming more and more complex. In the case that the larger the sequence to be sorted, the more disorderly it is, the Quicksort Algorithm is also superior to some advanced sorting algorithms with O(nlogn) time complexity, such as Merge Sort. In this way, in today's rapid expansion of the number of documents, the Quicksort Algorithm has great advantages to be used in Information Retrieval, and has great application prospects.

# 3.3 Technical Basis of Information Retrieval Technology

When the user enters the word he wants to search in the search box, the search engine searches the document resource database according to the user search word, and when it finds a document that matches the user search, it uses a preset algorithm to calculate the document Compare the matching degree of search terms. Use the same method to retrieve the relevance of each relevant document in the literature resource database, and then return the corresponding documents to the user according to the order of relevance. To facilitate understanding, this paper uses word frequency and location weighting algorithms (that is, giving different weights to the title, subtitle, abstract, text, reference of the document, etc., and then multiplying the location weight with the matching degree of the location to obtain a sub Eigen value, add the Eigen values of all positions to get a final Eigen value) Calculate the Eigen value, use the Quicksort Algorithm to sort the Eigen values, and then sort and output the documents in the sorted sequence. In order to better meet the needs of users, we preset several priority selection buttons under the search interface. When users pay attention to the matching degree of search words in a certain position of the document, they can click the button and the background will check that position. The weight is weighted. Through this method, the document resource database can efficiently retrieve documents that match the user's needs.

## 4. Quicksort Algorithm Design

Assuming that the online literature resource library to be selected already exists, the order of the literature is random. Simulate the user's input of search terms, regard the search terms as a pattern string, and the documents in the resource library as the target string. Match the target string and the pattern string formed by each document (KMP Algorithm principle). If there is a segment equal to the pattern string in the target string, that is, the target substring, it means that a match is successful, and the document Eigen value is weighted once Processing, otherwise the matching is unsuccessful.

#### 4.1 Design and Calculation of Document Matching

A document resource database of 15 documents has been simulated and established, simulating user needs to input search terms, the search terms are used as pattern strings, and the documents to be retrieved

are used as target strings, and matching is performed according to the KMP (The Knuth-Morris-Pratt) algorithm.

Set the pattern string to the sliding window to start matching with the target string one by one. The matching process is shown in the following simulation:

First match: Ta	arget string	XYXYZXYZXZYXY						
		= = !=						
Pattern string (search	h keywords)	XYZXZ						
Second match: T	Target string	X Y X Y Z X Y Z X Z Y X Y						
		= = = !=						
Pattern string (search	h keywords)	XYZXZ						
Third match: Ta	arget string	X Y X Y Z X Y Z X Z Y X Y						
		= = = = =						
Pattern string (search	h keywords)	XYZXZ						

In this simulation display, when the first match is performed, the third character is not equal. At this time, according to the principle of the KMP algorithm, the pattern string slides back two characters, and the third character is compared one by one again. When encountering a situation where the comparison characters are not equal again, slide and compare according to the same principle until the pattern string slides to the end of the target string.

# 4.2 Design and Calculation of Document Eigenvalues

How does the matching degree of the user's demand reflect? It can be reflected in this way. First, we assume that when the searched matching position is at the document title, a certain weight is added to the document, and the corresponding weight needs to be added for each match. Similarly, when the searched matching position is in the subtitle, in the text, or in the document, the specified weight is added, and the weight is added once for each match. In addition, in order to consider the value of the literature itself and the fluidity brought about by mutual references between the literature. We set that when a document is cited once, it also needs to be marked once, and the corresponding weight is added to increase its relevance. This requires that the documents in the database have established links. The more citations, the more authoritative and valuable the documents, and should be output first. Secondly, the number of downloads of a document can also reflect the needs of users. A document is marked once every time it is downloaded, weighted, and finally the corresponding Eigen value of each document can be obtained according to the formula.

The above fully demonstrates the method of using position weighting to calculate Eigen values to represent the relevance of documents in the conventional mode, and user needs are further considered here. If the user pays more attention to the matching degree of the terms in the title when searching documents, then we will weight the matching weight at the title to meet the needs of this user. Similarly, when users feel that the degree of matching in the text is more important, we give the weight of the text a proper weight. How to show this choice? We envisage adding a few more priority matching buttons on the Information Retrieval interface, giving priority to the corresponding positions, and users can choose by themselves.

We preset the weight settings as shown in Table 1.

According to the above rules, the Information Retrieval system is constructed. When the user enters the information to be retrieved in the search box, the program starts to analyze and calculate the Eigen value of each document in the resource library. The Eigen value calculation principle is  $R = \sum [(The weighted coefficient + (Priority weighting)) * Matching success times], the finally calculated Eigen value defaults to the retrieval relevance, importance, and user demand of the corresponding literature, but these Eigen values are still arranged in disorder. At this time, it is necessary to introduce a Quicksort Algorithm, and use the$ 

Eigen value of the literature as the sorting element to sort and output the literature in the resource library, so that users can obtain better literature resources first. The use of Quicksort Algorithm is to improve the efficiency of the system, so that users can retrieve the desired results as quickly as possible.

Match success location	The weighted coefficient	Priority weighting
Title	5	2
Subtitle	4	3
Abstract	3	4
Keywords	5	2
Text	2	5
References	2	5
Number of downloads	5	2

**Table 1:** Principles for setting the weight of the Retrieval algorithm

## 5 Implementation and Analysis of the Quicksort Algorithm

The working principle of quick sort is Divide and Conquer, namely, a huge problem that needs to be dealt with is transformed into several small problems. These small problems are essentially the same as the original problem, but they are far less complex than the original problem. In this way, the decomposition layer by layer is approached successively, and finally the big problem is solved. In the sorting process, introducing the idea of quick sorting can effectively improve the efficiency of Information Retrieval.

Use the eigenvalue of the document as the key, and use the Quicksort Algorithm and several traditional sorting algorithms to sort the output, and compare their operating efficiency. After actual simulation, we will find that the Quicksort Algorithm is significantly better than the traditional sort algorithm  $O(n^2)$  in time complexity. Output the sorted documents, that can meet the user's retrieval needs. The following is a comparison simulation with a set of eigenvalues.

After a predetermined Weighted Rule, the feature value of each document is calculated, and finally the 15 documents in the simulated resource library have obtained their eigenvalue, and these eigenvalues are recorded on each document as a mark of the document. As shown in Table 2, at this time, these 15 eigenvalues are still out of order and cannot be provided to users. At this time, the Quicksort Algorithm needs to be executed.

**Table 2:** The simulated eigenvalues of the first 15 documents sorted

Document serial number	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15
Eigenvalue	4	10	11	8	5	12	14	10	10	10	1	2	1	9	14

#### 5.1 Simulation Implementation of the Quicksort Algorithm

Use the Quicksort Algorithm to sort documents with eigenvalue as keywords.

For example, a group of documents with feature values {4,10,11,8,5,12,14,10,10,10,1,2,1,9,14} are sorted by the Quicksort Algorithm:

a: {4,10,11,8,5,12,14,10,10,10,1,2,1,9,14}

For the first execution, use the document with the eigenvalue of 4 in the first position as the reference, and partition. The document with the eigenvalue greater than it is listed on the right, and the remaining columns are on the left;

b: {1,2,1,4,5,12,14,10,10,10,8,11,10,9,14}

In the second execution, the fifth-ranked document with the eigenvalue of 5 is used as the reference, and the partition is:

c: {1,2,1,4,5,12,14,10,10,10,8,11,10,9,14}

In the third execution, the first document with the eigenvalue of 1 is used as the reference, and the partition is:

d: {1,1,2,4,5,12,14,10,10,10,8,11,10,9,14}

In the fourth execution, the document with the eigenvalue of 12 in the sixth position is used as the reference, and the partition is:

e: {1,1,2,4,5,9,10,10,10,10,8,11,12,14,14}

In the fifth execution, the document with the eigenvalue of 9 in the sixth position is used as the reference, and the partition is:

f: {1,1,2,4,5,8,9,10,10,10,10,11,12,14,14}

After five operations, the simulation sorting is completed, and the sorted documents are output in order, which can meet the user's retrieval needs.

# 5.2 The Advantages of the Quicksort Algorithm over Merge Sort Algorithm

The time complexity of Merge Sort is also O(nlogn), which is also better than traditional sorting algorithms. Comparing it with Quicksort Algorithm, it can intuitively reflect the advantages of Quicksort Algorithm over Merge Sorting algorithms and other sorting algorithms.

1: Now compare the Quicksort Algorithm and Merge Sort by simulation experiment:

Experimental environment: ubuntu operating system with configured C language and C++ environment.

(1) Merge Sort

The operation result is shown in Fig. 1:

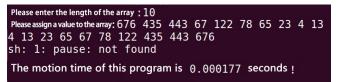


Figure 1: The experimental results of the Merge Sort algorithm when arranging 10 numbers

(2) The Quicksort Algorithm:

The operation result is shown in Fig. 2:

lease enter the length of the array : 10											
Please assign a value to the array: $676$ 435 443 $67$ 122 78	65	23	4	13							
sh: 1: pause: not found											
13 23 65 67 78 122 435 443 676											
he motion time of this program is 0.000137 s!											

Figure 2: The experimental results of the Quicksort Algorithm when arranging 10 numbers

The comparison shows that when the data to be sorted is small, the Quicksort Algorithm may be faster than the Merge Sort algorithm (because only one experimental result is simulated, so no conclusion can be drawn!), we will further increase the length and the degree of randomness fully proves that when the data is large enough, the Quicksort Algorithm has an absolute advantage over the Merge Sort.

2: Now use the arrangement of ten arrays with lengths of 100, 200, 300, 400, 500, 600, 700, 800, 900, and 1000 to compare the time complexity of these two algorithms.

Experimental environment: Ubuntu operating system with configured C language and C++ environment.

Here we need to slightly modify the previous algorithm, add a Random function to generate random numbers, and sort them. When the array is greater than 700, the execution steps can be used to replace the running time:

(1) The Merge Sort algorithm randomly calls part of the function code:

```
int const n(700);
int a[n];
srand((int)time(NULL)));
for(int i=0;i<n;i++)
    a[i]=rand();
mergeSort(a,0,n-1);
for(int i=0;i<n;++i) {
    cout<<a[i]<<" ";
    if((i+1)%10==0) cout<<endl;}</pre>
```

cout<<"The number of execution steps is:"<<count<<endl; //count set as a global variable return 0;

The results of counting the number of steps performed when the array length is 700, 800, 900, and 1000 are shown in Fig. 3 to Fig. 6:

1548441355 1	1551119819	1553192829	1550224107	1561474485	1564336756	1566740001	1567271722	1568860083	1570745547
	aboxes over	TODDTDTTTT					TRALES TO FEE	*********	2010110011
abrobberr a	an resource					1587255301			100000000
100000000000	1999101100	1608954714	1611104229			1630697222			
	1652610906	1652791717	1655064191		1667035586		1669972203	1670521656	1676159640
1677699844 1	1677861852	1677894666	1678445676	1680338039	1681212972	1686643885	1689871229	1691522684	1692139820
1697112608 1	1701635758	1702228138	1702749181	1705567922	1711207434	1719906690	1729032661	1730336579	1734236762
1735213385 1	1736214013	1737830937	1738479085	1740048601	1741862702	1742399298	1747137423	1747648562	1748432357
1749407007 1	1753386840	1758073524	1763326497	1764851214	1765434845	1767149259	1767448037	1770918866	1773505358
1774179690 1	1775173670	1775242610	1778237513	1783504619	1785272722	1788944777	1789335611	1789473113	1800567870
1804364702 1	1804870590	1808457231	1809229224	1809582663	1810455032	1810466574	1819797227	1820907776	1824340271
1845463823 1	1847231008	1848095668	1849298625	1851237002	1852411534	1853209660	1854059304	1856994116	1857839070
1857883617 1	1858374086	1859069037	1860025080	1860659624	1865961797	1868165347	1871569500	1872538436	1875361647
1876319559 1	1880222041	1881135204	1886980701	1888439256	1889480158	1892218446	1896955647	1896979303	1898599291
1899167448 1	1901414151	1909709183	1911058583	1911695432	1926021896	1931097678	1940849897	1943368044	1945008435
1947521818 1	1947856684	1948394187	1951901500	1954910331	1959087159	1962734414	1962998867	1971829437	1972135840
1973592201 1	1974031867	1974162845	1976343040	1976732011	1978122984	1979927714	1984504418	1985550541	1991163791
2001242283 2	2001723342	2006834204	2010312215	2010877220	2011927423	2019236276	2019446141	2020554816	2021666198
2022895951 2	025279307	2032479417	2033020556	2040586853	2042197166	2043602537	2045075195	2050361866	2061148218
2062789884 2	2064920526	2065572385	2071346287	2074610678	2080300283	2084133191	2085880723	2086385289	2087322111
2094888678 2									
2119478047 2									
The numbe									
The number	i or execu	moniareha	P 1396a						

Figure 3: The experimental results of the Merge Sort Algorithm when arranging 700 numbers

599868114	1588738810							1623602954	
627528234	1631676202				1646329393			1656678596	1663659486
666452246	1668603704							1687786365	1688392346
690711386	1691709865	1691893431	1692163403	1698412657	1699161445	1699850307	1704529651	1708771498	1710631277
715668517	1724130783	1725195037	1730233884	1735673267	1741533441	1741755589	1743271276	1749718652	1752559817
759342222	1760373836	1766551474	1771489159	1775678488	1782755746	1782821650	1786091126	1794739131	1798753598
								1820579226	
823200475	1823590918	1824008515	1826986305	1832332695	1832480513	1832855697	1833541604	1835992476	1836476134
839648004	1846807698	1848064394	1851304298	1856599476	1856869489	1862443288	1862976897	1863529492	1865044606
	1867359712							1878331701	
881127656	1889057406							1928918198	
923776593	1924483831							1941595370	
948458994	1950349720							1978106752	
979960545	1987545481			1996079755				1998542283	
								2023318039	
031337000	2032654632	2035655030	2039606080	2040891420	2043796580	2046557976	2849484684	2049998478	2050269101
								2069623389	
071993974	2072679340	2074392133	20788889997	2078255933	2080033988	2084806088	2086479021	2091986502	2094307382
102856401	2107602755	2107894060	2110334081	2112003689	2113336463	2114676646	2115678825	2119438781	2120688103
121681458	2126901625	2127476329	2131739883	2132343722	2138948422	2139021382	2139609694	2142769230	2143339628
he numb	er of exea	ution steps	is 16115						

Figure 4: The experimental results of the Merge Sort Algorithm when arranging 800 numbers

1644664957 165	4242769 10	654517037	1655042121	1655469885	1656558036	1657509348	1659238216	1661959928	1662445185
1663751866 166	9378309 10	669445567	1670754139	1670988300	1673934358	1678400500	1681441415	1684080407	1696533404
1696669010 169									
1724006413 172									
1747918809 175									
1772338250 177									
1801893107 180									
1838104916 184									
1863057923 186									
1877522982 187									
1895494124 189									
1923071191 192									
1943868481 194									
1963903373 196									
1988835535 199									
2007545690 200									
2029149120 203									
2858285491 285									
2075855183 207									
2105567929 210									
2130018076 213	31399397 2	131426762	2131895694	2132195348	2132848807	2133127398	2140706077	2145441608	2147242308
The number o	of executi	ion steps i	5 18397						

Figure 5: Experimental results of Merge Sort Algorithm when arranging 900 numbers

	1714167271 1							1731820824
1731886725 1732581523	1733743993 1	1734252724	1736393953	1738806088	1739640904	1740509379	1741875355	1746007110
							1755768766	
1757976392 1760098380	1762431157 1	1762812865	1763215030	1767691282	1768110263	1769153553	1771190837	1771393994
1775199485 1775368224	1775917286 1							
							1817647256	
	1828415737 1							
	1852710647							
	1870760014 1							
Tologoppi Topogilipes							1898427761	
1988248899 1983641872			1908941847					1915922328
1916913413 1921529660							1934983296	
	1942638198 1							
1953524741 1956359519								
1977110361 1978130729	1980457785 1	1985270839	1988028082	1988486998	1988734877	1990736420	1996224173	1996811687
1998238254 1999669281	1999742137 2	2000806705	2001826711	2003227737	2005766691	2005872339	2008973962	2010390047
2010868895 2015200007	2015395016 2	2023148747	2030956723	2031940733	2037073977	2039908794	2848483669	2848454593
2043109089 2052973350	2057235269 2	2858942493	2061046581	2065685546	2066950706	2071634052	2075760346	2075981046
2076506693 2079969810	2090117842 2	2898994665	2093029374	2096778146	2098416832	2098988891	2101993698	2104907923
2105110893 2107214713								
	2131394418 2							
The number of exec	ution stops i							
The fidthider of exec	unon steps t	- : Sever						
And the second sec								

Figure 6: The experimental results of the Merge Sort Algorithm when arranging 1000 numbers

(2) The Quicksort Algorithm randomly generates part of the function code:

```
int const n(1000);
int a[n];
srand((int)time(NULL));
for(int i=0;i<n;i++)
a[i]=rand();
Qsort(a,0,n-1);
for(int i=0;i<n;i++) {
    cout<<a[i]<<" ";
    if((i+1)%10==0)
        cout<<endl;
}
```

}

cout<<"The number of execution steps is"<<count<<endl;// Set global variables count

return 0;

The results of counting the number of steps performed when the array length is 700, 800, 900, and 1000 are shown in Fig. 7 to Fig. 10:

1564743019 1567104191	1571160322 1577125421	1577208417	1581489504	1584104374	1584149526	1590619241	1595932779
1598753905 1599395861	1604027214 1604815697	1606102398	1606655954	1608747543	1610928018	1611026517	1614332528
1622048565 1622975077	1624798191 1626624049	1628700462	1628786385	1645825376	1646892408	1646398759	1647368285
	1649936146 1650175006						
1666048962 1666255251	1669131013 1669837573	1670891806	1671933327	1672286784	1674262987	1675326465	1675529893
1678094915 1678158633	1679256450 1682665414	1683740300	1684178364	1685179018	1686722932	1688802188	1692873139
	1704375914 1706387135						
	1729836299 1731534448						
	1761924533 1762519091						
	1803346843 1809048810						
	1834199860 1837585989						
	1893210340 1896398064						
	1916498878 1920229369						
	1952933392 1958667031						
	1987755033 1988358070						
	2015175542 2015184170						
	2027014268 2028179157						
	2051202883 2056450921						
	2076391518 2076652620						
	2104612164 2106586092						
	2116626405 2117284129						
	2134428835 2136016499	2137572506	2138210739	2139548286	2142354837	2144171834	2144938112
The number of execu	tion steps is 6420						

Figure 7: Experimental results of the Quicksort Algorithm when arranging 700 numbers

1489998588	1496596739	1499859588	1503086851	1505021301	1510030523	1515226012	1515681304	1520452175	1524420597
1526781489									
1554067629	1554568780	1555844446	1558502213	1558574428	1563464537	1563611861	1565831888	1570354121	1570470709
1575138084									
1614554320									
1643781011									
1686149218									
1710899854									
1747438890									
1780299029									
1802036265									
1814028835									
1878230760									
1918663944									
1940188146									
1959587267									
1977742937									
2012509492									
2031372337									
2051923048									
2086996957									
2121453398	2122848375	2131594572	2133185073	2134098848	2135112528	2137209688	2137583914	2139652987	2143310450
The number	r of execut	ion steps is	7436						

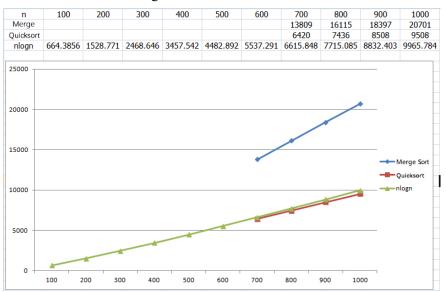
Figure 8: Experimental results of the Quicksort Algorithm when arranging 800 numbers

1586707238	1587953184	1588594331	1598628934	1591730380	1592972988	1594464398	1595789248	1599467893	1688888669
1601754190	1603314997	1666877498		1611960313		1615956968	1617293913	1620228951	1621711113
1621933403	1623756824			1630350297				1645295140	1651201055
1656222540									1694100030
		1686874038							
1701241458		1764268599							
1/01241458									1724590301
1/24822774	1725875956			1733886675					1/61330/9/
1761423545	1762997834			1772207750					1785012357
		1785691284							1797220879
1800859808	1802459948	1802602875	1803947432	1808741898	1813386705	1815039135	1820992648	1822042642	1822277786
1826674136	1833850793	1834106589	1835721035	1840120757	1840458508	1844621262	1847508969	1849261882	1852292847
1854686477	1856952003	1858176284	1862678285	1865178624	1869539292	1870233708	1871447832	1873247489	1875337962
876886599	1878766290	1882046727	1882428355	1894320761	1900452053	1901541849	1901728869	1908243560	1911061530
912509557	1923001241	1923755347	1930686241	1930917171	1935264914	1935428922	1936382081	1940313228	1944727633
948289248	1953692725	1954765272	1957210735	1958470451	1968688218	1968978923	1961422912	1961705523	1961848654
972568409	1975433223	1976208992	1980916363	1981856161	1984270171	1988658308	1993028019	1996026390	1997355003
998897358	1999472156	2003277064	2003682651	2005766866	2006113981	2807687319	2012444633	2014925921	2015438556
016404150	2018285021	2024829531	2026371409	2033634459	2033717773	2038870338	2841928965	2842644838	2843929632
		2051731615							
		2067811178							
								2118295345	
		2121668442							
				212/3030/2	2139020490	2140090900	2141007309	2142302002	2144001202
The numb	er of execu	tion steps is	8508						

Figure 9: Experimental results of the Quicksort Algorithm when arranging 900 numbers

1695029172	1695483862	1698677284	1700797228	1701922379	1703062951	1704340911	1706784589	1706962045	1707014665	
1707707244	1713977200	1716023384	1716132876	1716548461	1717393368	1717927570	1720230724	1724247184	1728925735	
				1736438809						
				1759994352						
				1794616553						
				1815339922						
				1823599600						
				1838195688						
				1863808012						
				1888685460						
				1913707656						
				1934701795						
				1943896681						
				1964268065						
				1985007640						
				2008466496						
				2024698655						
				2036268228						
				2064132908						
				2079541659						
				2115139767						
				2137827282	2138993/96	2139452065	2140996073	2143958270	2147352130	
ine numbe	r of execution	on steps is 9	508							

Figure 10: The experimental results of the sorting algorithm when arranging 1000 numbers



#### (3) Draw a broken line as shown in Fig. 11 for the result obtained:

Figure 11: Comparison of the running speed of the Merge Sort and the Quicksort Algorithm when n = 700 to n = 1000

It can be seen from Fig. 11 that when the data becomes larger and larger, the time complexity of the Quicksort Algorithm is almost O(nlogn), and the time complexity of the Merge Sort has far exceeded O(nlogn). Since the data is randomly generated, it can basically represent generality. Therefore, it can be proved that the Quicksort Algorithm is better than the Merge Sort when the number of permutations increases. the Quicksort Algorithm is more adaptable to the increasing number of documents, and can better improve the efficiency of Information Retrieval!

# **6** Conclusion

In recent years, with the increasing number and variety of documents on the Information Retrieval platform and the ever-expanding demand of users, the society urges us to put forward higher requirements for the technology and efficiency of the Information Retrieval. In the design ideas of the Information Retrieval system in this paper, we fully refer to the more common design ideas of position weighting and user behavior feedback in current Information Retrieval engines, and combine the characteristics of Information Retrieval to increase the function of independent selection by users. It further improves the comprehensive indexes such as the matching degree, value, importance, and user needs of the retrieved documents. While improving the retrieval accuracy, the quick sorting algorithm is introduced to improve the sorting rate of document eigenvalue, optimize the performance of the Information Retrieval system, and finally achieve the effect of searching documents that meet the needs at the fastest speed, which has great applications prospect.

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**Conflicts of Interest:** The authors declare that they have no conflicts of interest to report regarding the present study.

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